# Single-Agent Policies for the Multi-Agent Persistent Surveillance Problem via Artificial Heterogeneity Tom Kent<sup>1</sup>, Arthur Richards<sup>1</sup> & Angus Johnson<sup>2</sup> EUMAS 2020 14-09-20

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17<sup>th</sup> European conference on Multi-Agent Systems - EUMAS 2020



- Five-year project (2017-22) fundamental autonomous system design problems
- Hybrid Autonomous Systems Engineering 'R3 Challenge':
  - Robustness, Resilience, and Regulation.
- Innovate new design principles and processes
- Build new tools for analysis and design
- Engaging with real Thales use cases:
  - Hybrid Low-Level Flight
  - Hybrid Rail Systems
  - Hybrid Search & Rescue.
- Engaging stakeholders within Thales
- Finding a balance between academic and industrial outputs

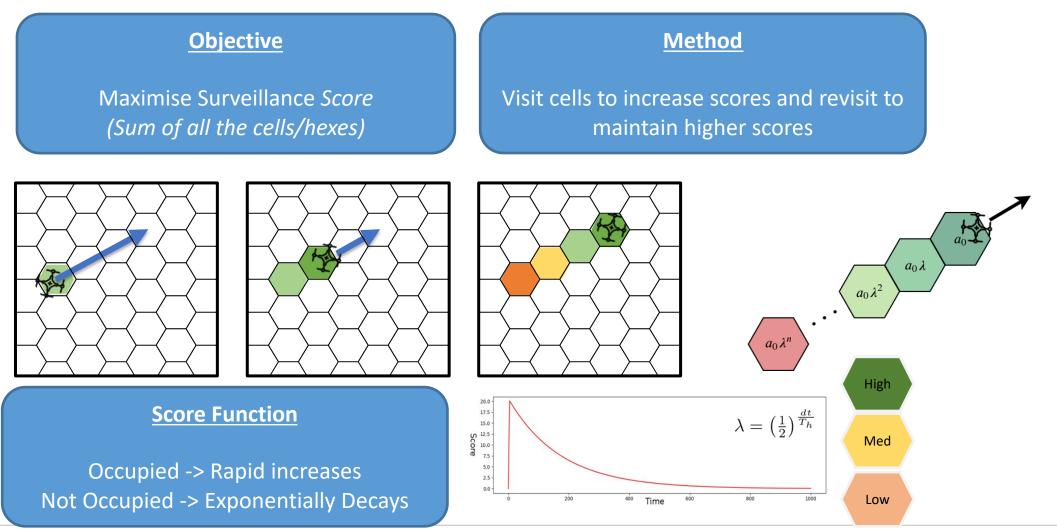


Academic PIs Seth Bullock Eddie Wilson Jonathan Lawry Arthur Richards

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PhDs Elliot Hogg Will Bonnell Chris Bennett Charles Clarke

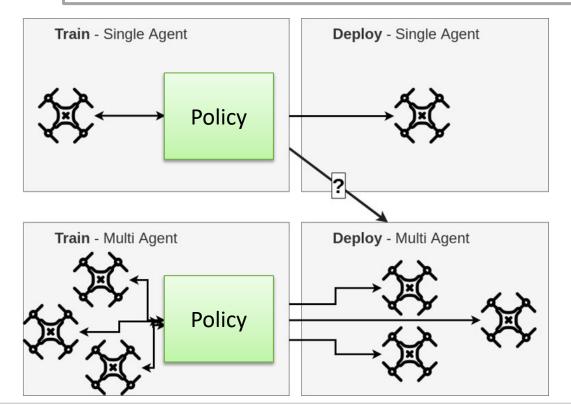
#### **Persistent Surveillance**





### **Motivating Question**

# Can we train single-agent policies in isolation that can be successfully deployed in multi-agent scenarios?



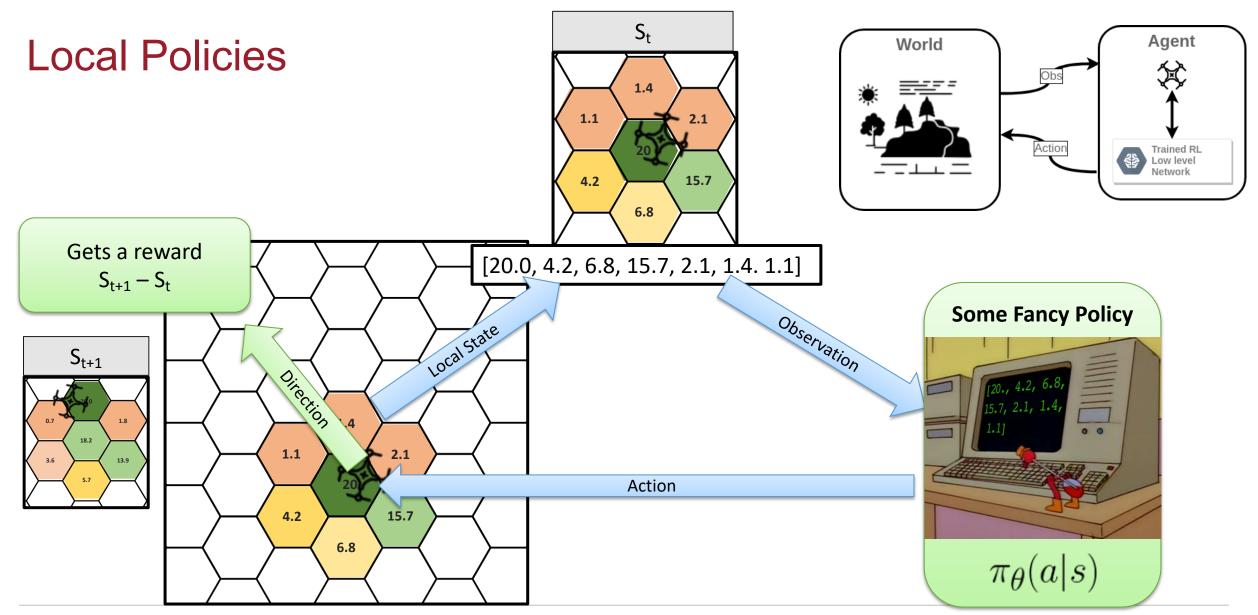
#### Assumptions

- No Coordination
- No Communication
- Train on a single agent with a single agent environment
- Perfect knowledge of the state

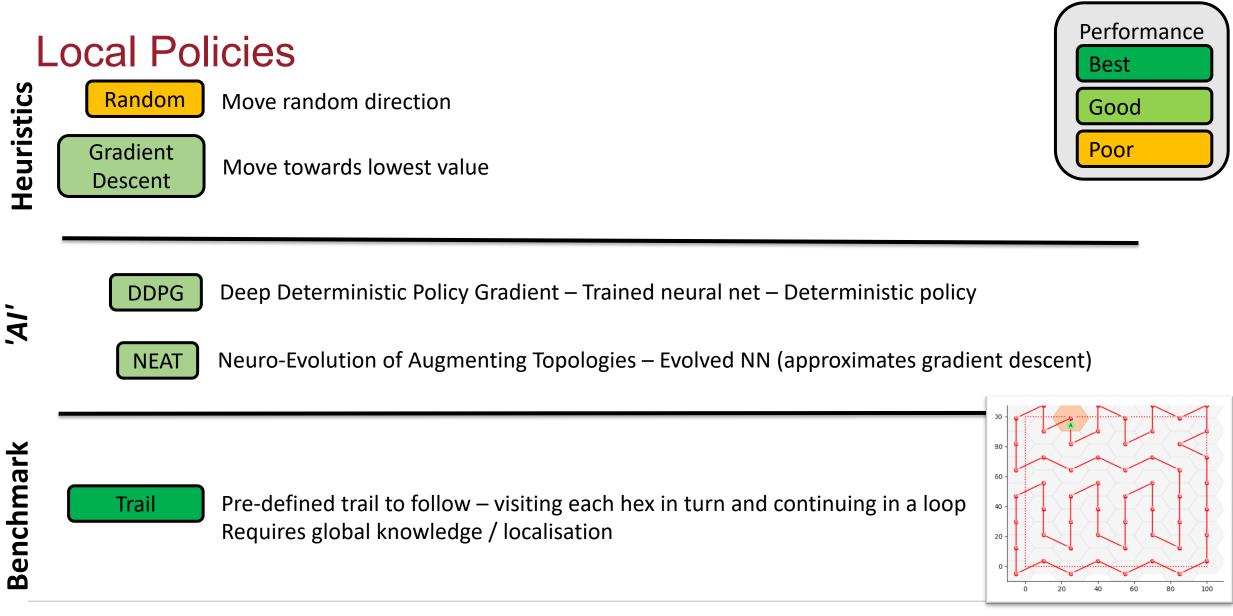
#### Questions

- Do we need to coordinate?
- Do we need to communication?
- Do these need to be trained for?
- Is perfect knowledge of state of the world beneficial?





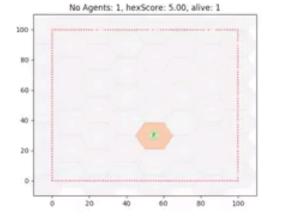


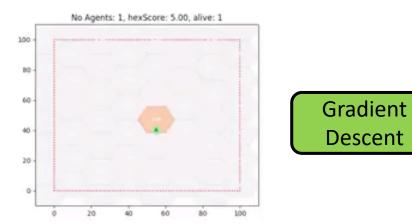




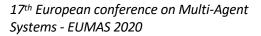
### **Comparison of Local Policies**



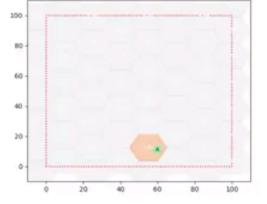




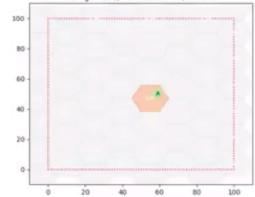






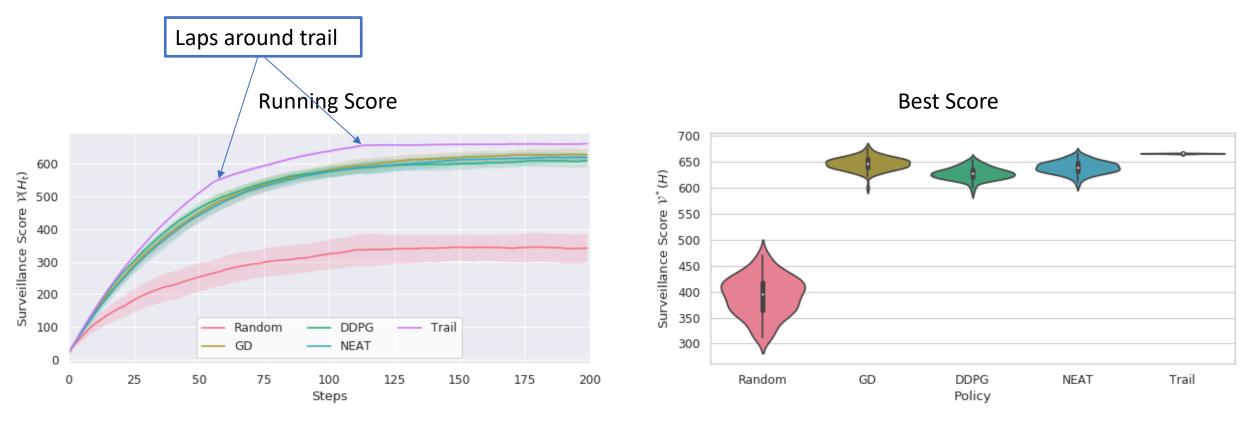


No Agents: 1, hexScore: 5.00, alive: 1





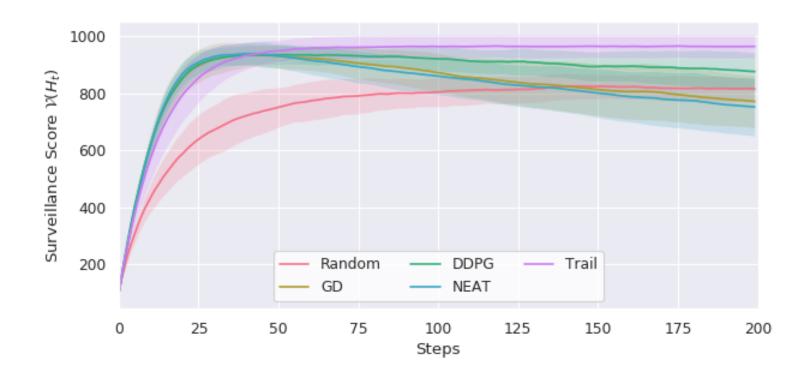
Policy Performance – 1 Agent

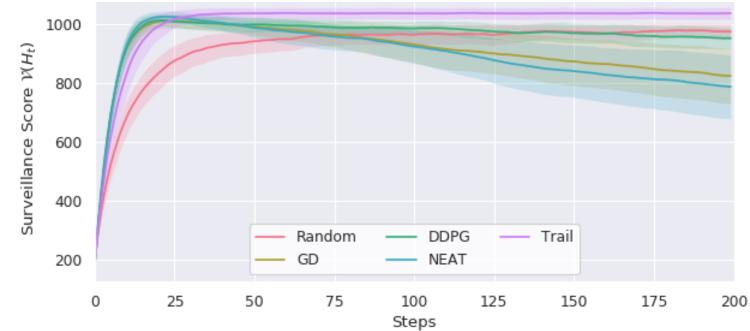




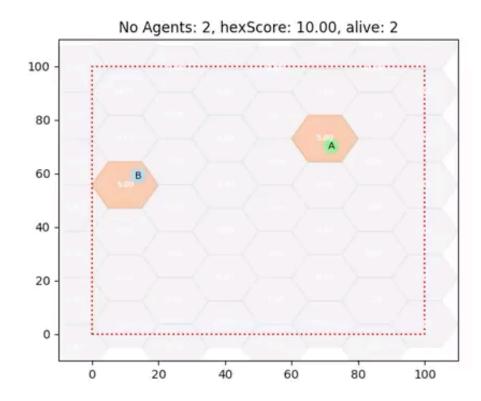


10 Agents





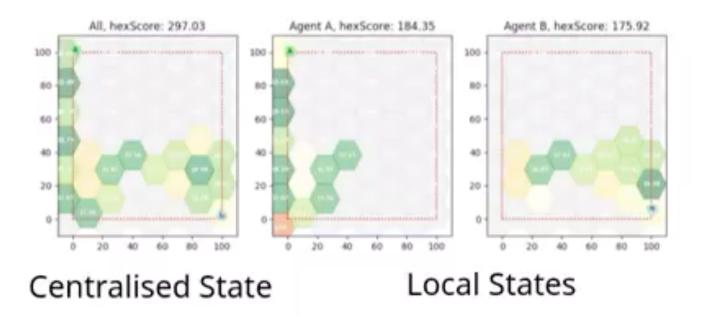
#### Homogeneous-policy convergence problem



- 1) Agents move to the same hex
- 2) Agents get an identical local state observation
- Identical, deterministic policies π, return identical action choices
- Agents in the same hex, perform identical actions, and move to the same hex, as the other agents - thus returning to step 1)

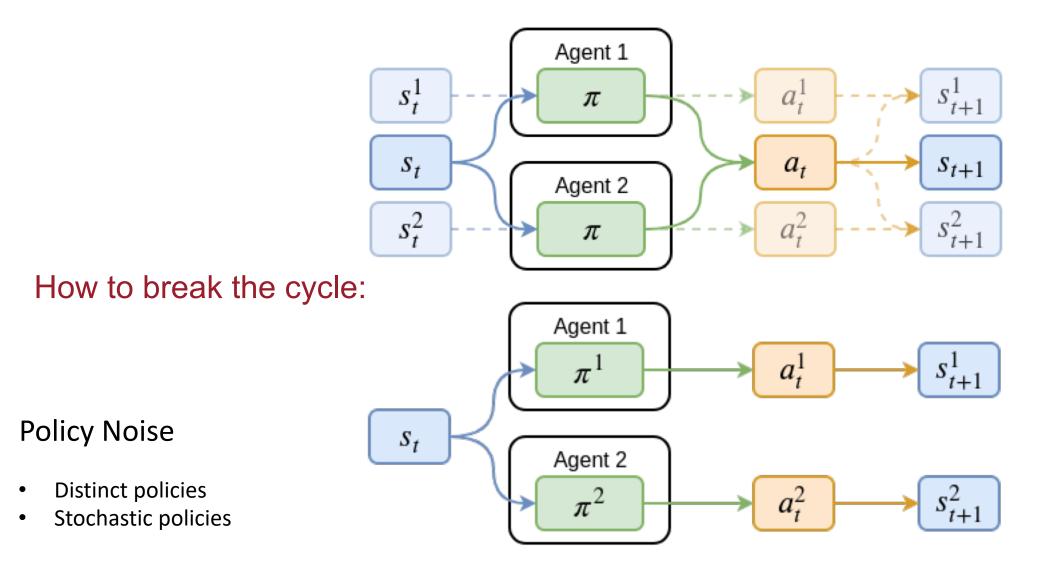


### Communication isn't always beneficial



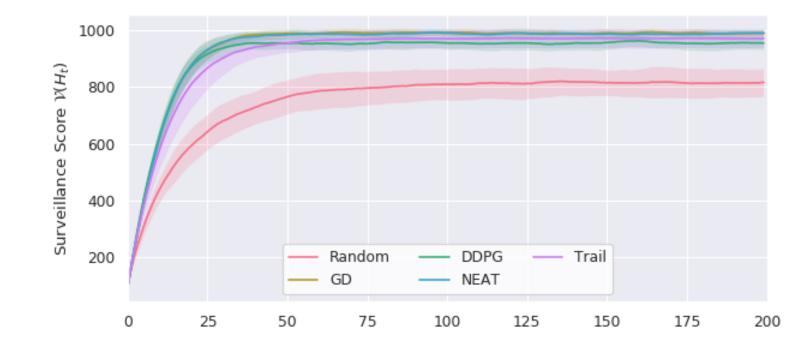


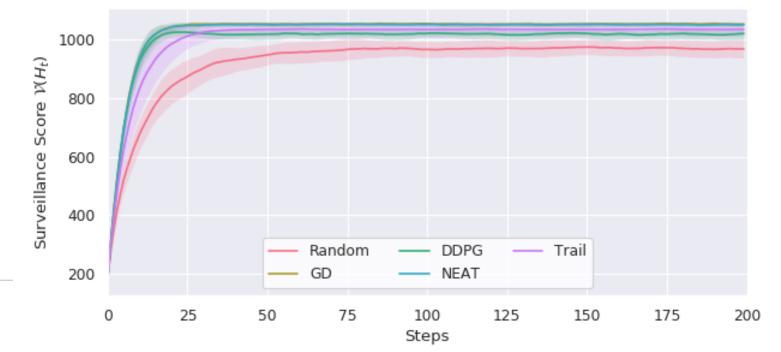
Homogeneous-policy convergence problem





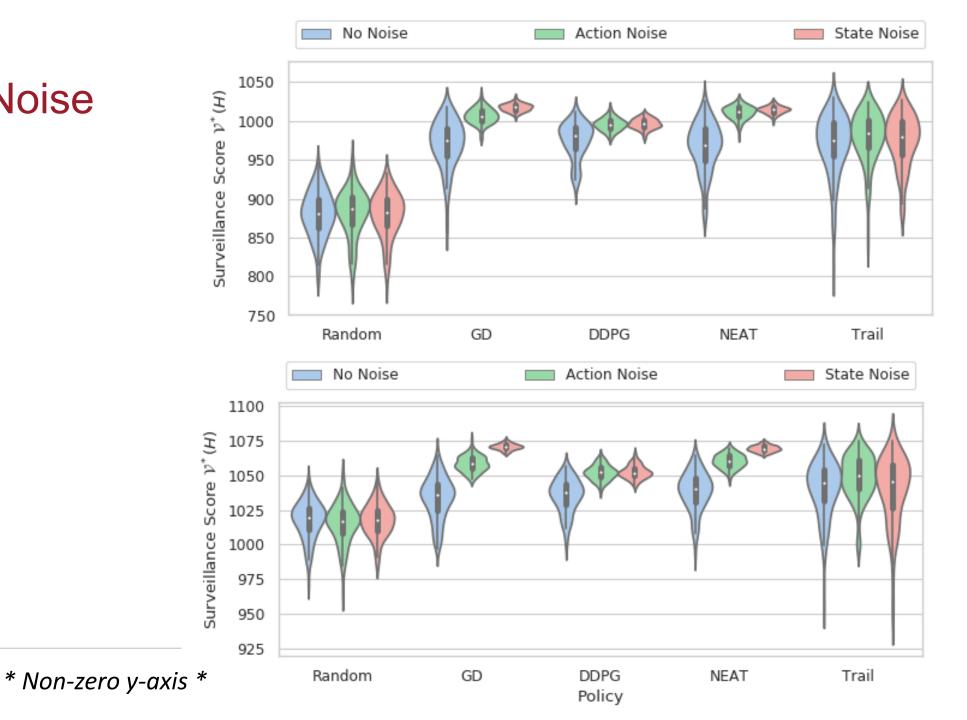












10 Agents

-B

### Conclusion

- Short term planning can be effective in solving the MAPSP
- Agents trained in isolation can still perform in a multi-agent scenario
  - Global 'trail' policies perform better -> require coordination
  - Simplistic gradient descent approaches perform sufficiently
- Emergent behaviour
  - A property almost entirely the result of homogeneity and determinism.
  - This or a similar class of emergent properties could easily occur in other scenarios
- Homogeneous-policy convergence cycle is a problem and can be avoided by essentially becoming more heterogeneous
  - Action stochasticity adding noise
  - State/observation stochasticity agent specific state beliefs
  - Heterogenous policies teams of different agents



### Questions

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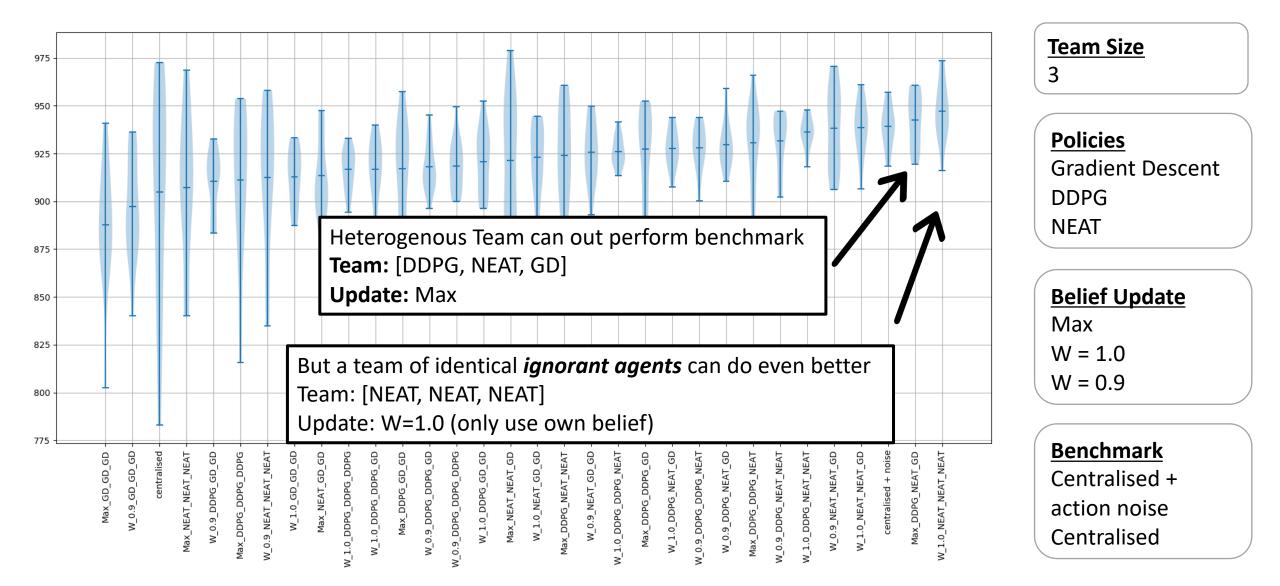


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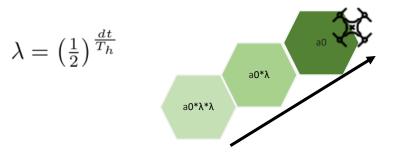
# Appendix

## **Decentralised State Heterogeneous Policies**



# Theoretical Max

- Number of hexes n = 56
- Hex height (width) = 15m
- Agent speed 5m/s => 3dt to cross
- Linear Increase per timestep:
  Id = 5 -> adds 15 to the hex so a0 = 15
- Th = 120, dt = 3
- If we make a trail around all n=56 hexes we can hit
  542.
- If we continue and re-join 'tail' we can max out each hex so a0 = 20 and we can then hit **723**



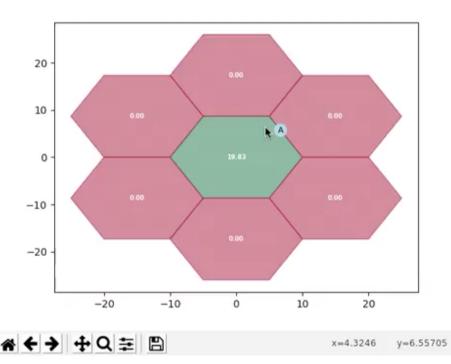
**Geometric Series** 

$$a_0^0 + a_0 \lambda^1 a_0 \lambda^2 + \dots a_0 \lambda^n = \sum_{k=0}^{n-1} a_0 \lambda^k = a_0 \left(\frac{1-\lambda^n}{1-\lambda}\right)$$

Multi-Agent: Geometric Series

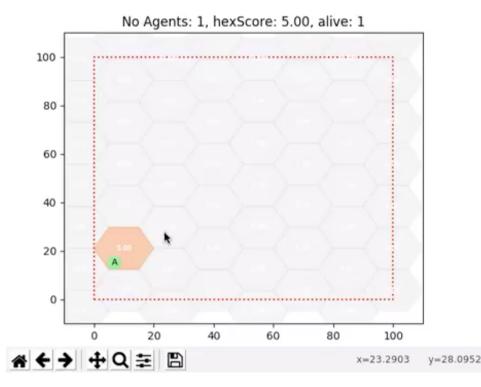
$$a_0\left(\frac{1-\lambda^{n_1}}{1-\lambda}\right) + a_0\left(\frac{1-\lambda^{n_2}}{1-\lambda}\right) + \dots + a_0\left(\frac{1-\lambda^{n_{N_a}}}{1-\lambda}\right)$$

### Human input (aka graduate descent)



#### Local view

- Agent moves in direction of cursor
- Attempt to build global picture & localise
- Users tend to do gradient descent



#### **Global view**

- Agent moves in direction of cursor
- Can more easily plan ahead
- Users tend to attempt a trail

#### Human performance Local/Global State

